# 27 Lecture - MTH101

# **Important Mcqs**

### What is the symbol used to represent a sum in sigma notation?

A) ?

B) ?

C) ?

D)?

Solution: B) ?

### What is the purpose of using sigma notation?

- A) To represent long sums of numbers in a more compact and convenient way
- B) To represent long products of numbers in a more compact and convenient way
- C) To represent long division of numbers in a more compact and convenient way
- D) To represent long subtraction of numbers in a more compact and convenient way

Solution: A) To represent long sums of numbers in a more compact and convenient way

#### How is an arithmetic sequence represented in sigma notation?

- A) ?i=1n ar^i
- B) 2i=1n(a+(i-1)d)
- C) ?i=0n ar^i
- D) ?i=0n(a+(i-1)d)

Solution: B) i=1n(a+(i-1)d)

# How is a geometric sequence represented in sigma notation?

A) ?i=1n ar^i

B) 2i=1n(a+(i-1)d)

C) ?i=0n ar^i

D) ?i=0n (a + (i-1)d)

Solution: C) ?i=0n ar^i

#### Can sigma notation be used to represent infinite series?

A) Yes

B) No

Solution: A) Yes

What is the formula for the sum of the first "n" terms of an arithmetic sequence?

- A) Sn = n/2(a + l)
- B) Sn = n(a + 1)/2
- C) Sn = n(a + l)
- D) Sn = (a + l)/n

Solution: B) Sn = n(a + 1)/2

#### What is the formula for the sum of the first "n" terms of a geometric sequence?

- A) Sn = n/2(a + 1)
- B) Sn = n(a + l)/2
- C) Sn =  $a(1 r^n)/(1 r)$
- D) Sn =  $a(1 + r^n)/(1 + r)$
- Solution: C) Sn =  $a(1 r^n)/(1 r)$

#### Which test can be used to determine the convergence or divergence of an infinite series?

- A) The limit comparison test
- B) The integral test
- C) The root test
- D) All of the above
- Solution: D) All of the above

# What is the difference between an arithmetic sequence and a geometric sequence?

A) In an arithmetic sequence, each term is the sum of the previous term and a constant; in a geometric sequence, each term is the product of the previous term and a constant.

B) In an arithmetic sequence, each term is the product of the previous term and a constant; in a geometric sequence, each term is the sum of the previous term and a constant.

C) In an arithmetic sequence, each term is the product of the previous term and a constant; in a geometric sequence, each term is the difference of the previous term and a constant.

D) In an arithmetic sequence, each term is the difference of the previous term and a constant; in a geometric sequence, each term is the sum of the previous term and a constant.

Solution: A) In an arithmetic sequence, each term is the sum of the previous term and a constant; in a geometric sequence, each